

« ENERGETIC MACROSCOPIC REPRESENTATION (EMR) »

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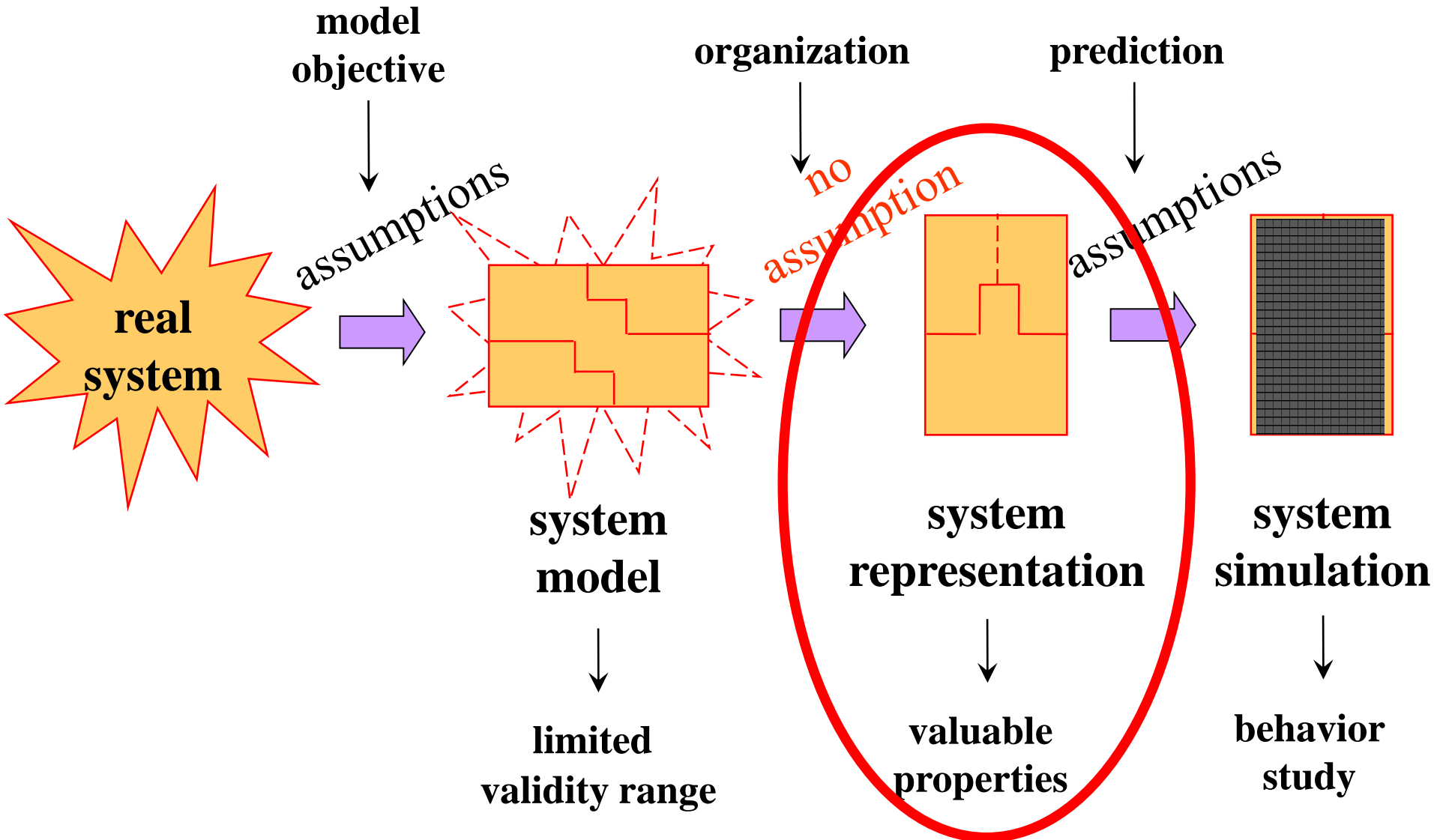
² HES-SO, Switzerland

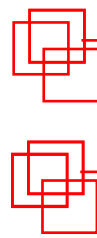
« Energetic Macroscopic Representation »

- Level of study -

EMR'22, Sion, June 2022

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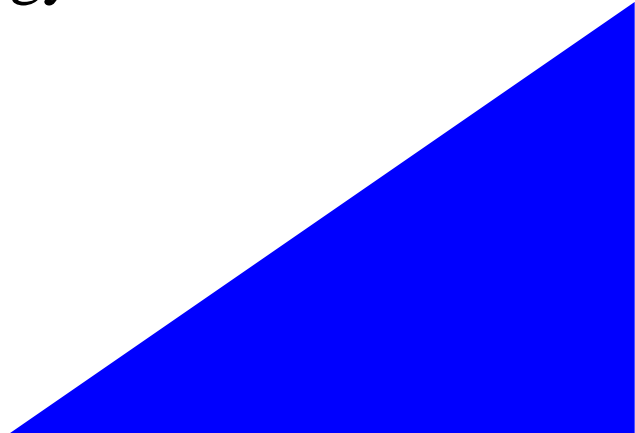


« EMR Basic Elements »

Only 4 energy functions
are required to describe
energy conversion systems

- Energy sources
- Energy storage
- Energy conversion
- Energy distribution

EMR = 4 graphical elements associated
with the 4 energy functions

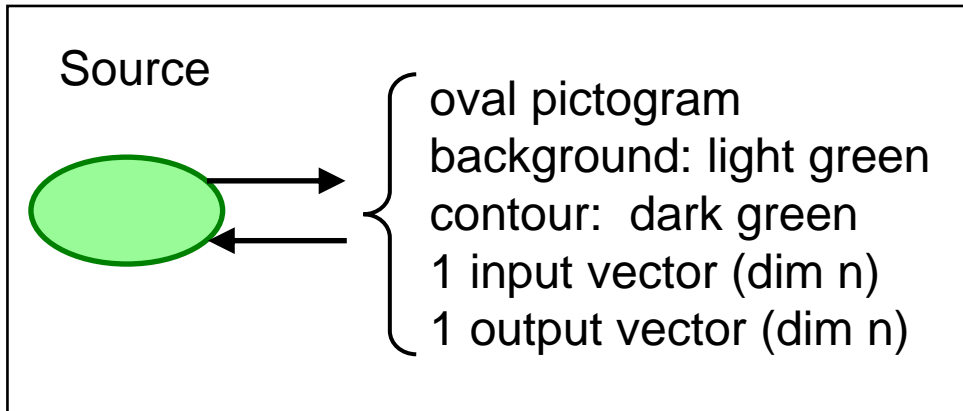


« Energetic Macroscopic Representation »

- Energetic sources -

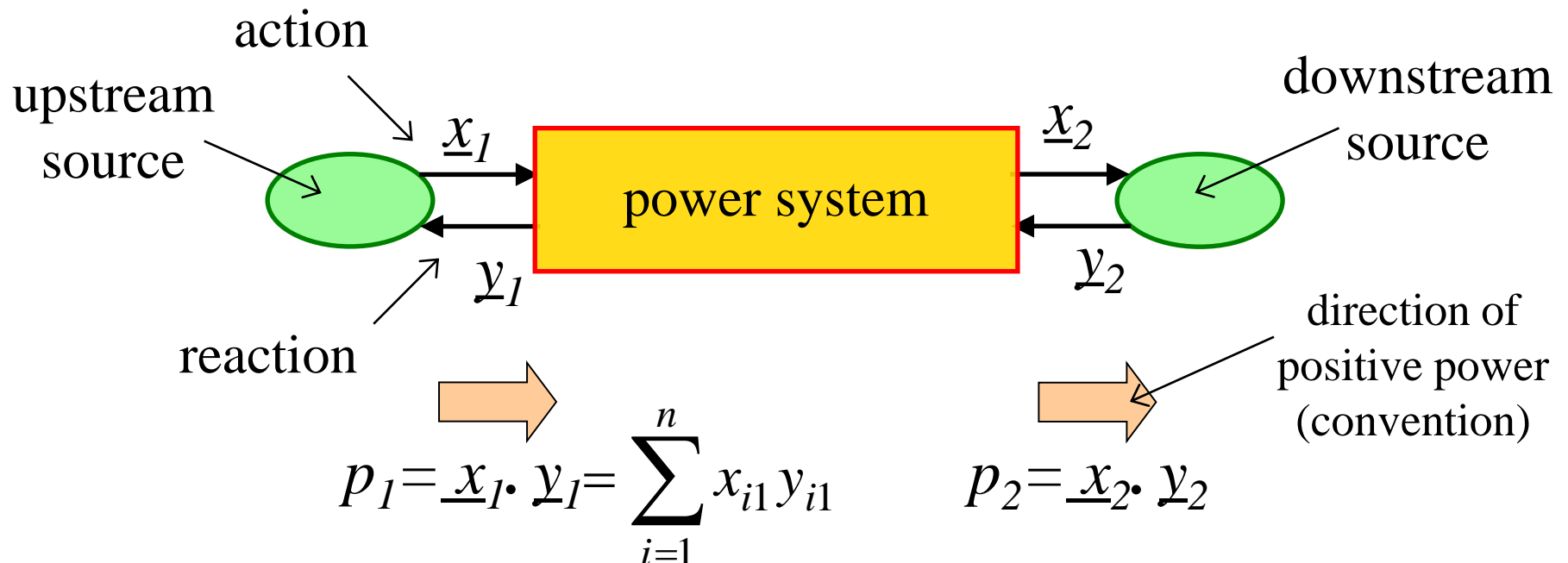
EMR'22, Sion, June 2022

4

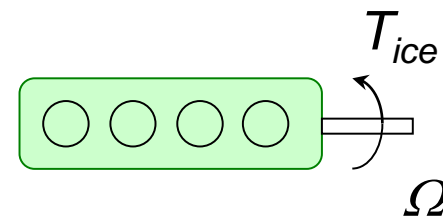
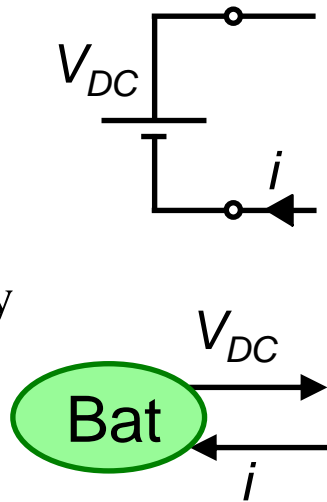


terminal elements which represent the environment of the studied system

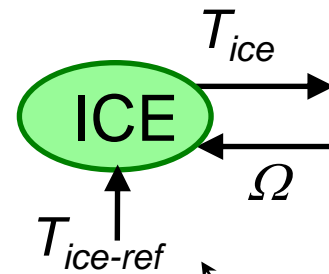
generator and/or receptor of energy



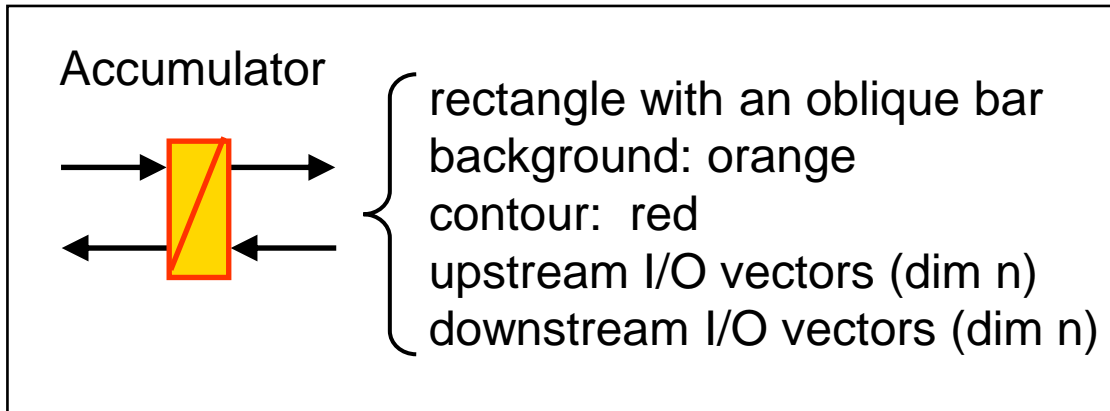
Battery
(voltage source)
generator and
receptor of energy



IC engine
(torque source)
generator
of energy



tuning input



internal accumulation of energy (with or without losses)

causality principle

Output variable = Energetic variable

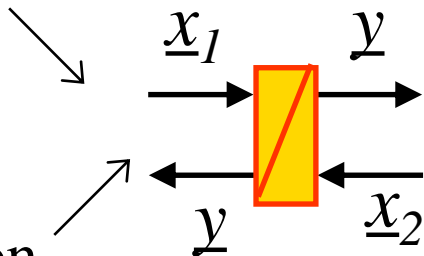
$$\text{output}(s) = \int \text{input}(s)$$

$$\underline{y} \propto \int f(\underline{x}_1, \underline{x}_2) dt$$

\underline{y} = output, delayed with regard to input changes

fixed I/O (causal description)

action

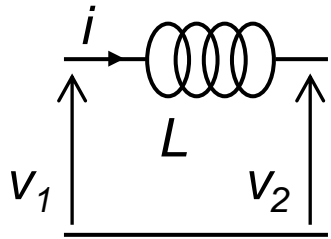


reaction

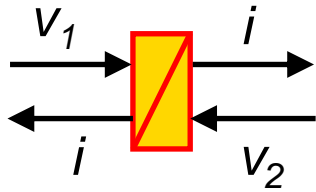
$$p_1 = \underline{x}_1 \cdot \underline{y}$$

$$p_2 = \underline{x}_2 \cdot \underline{y}$$

inductor



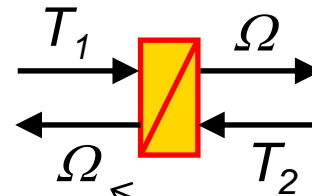
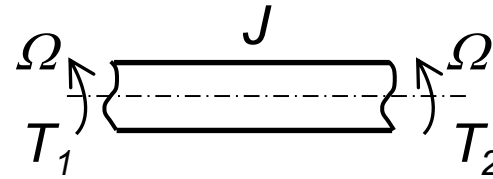
$$E = \frac{1}{2} L i^2$$



Energetic variable

$$i = \frac{1}{L} \int (V_1 - V_2). dt$$

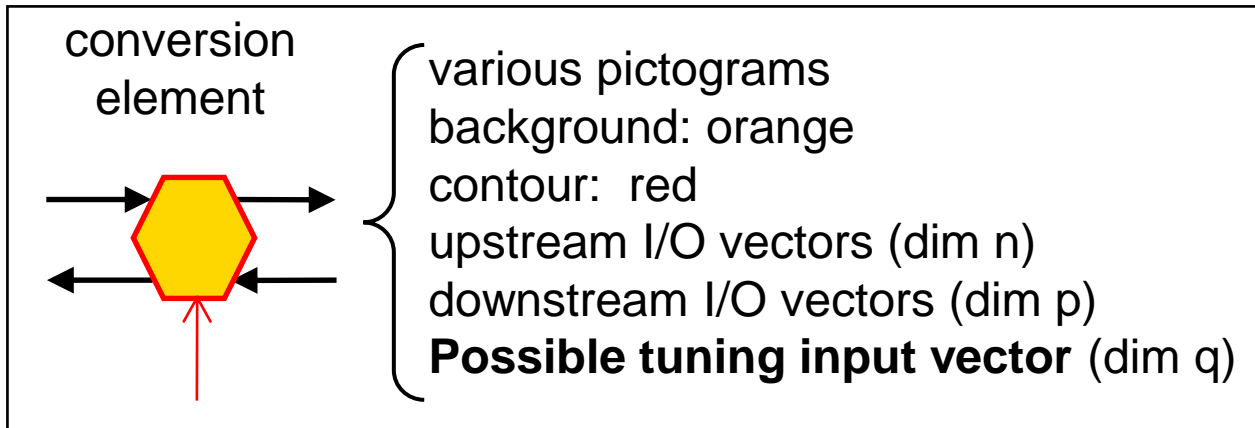
inertia



$$E = \frac{1}{2} J \Omega^2$$

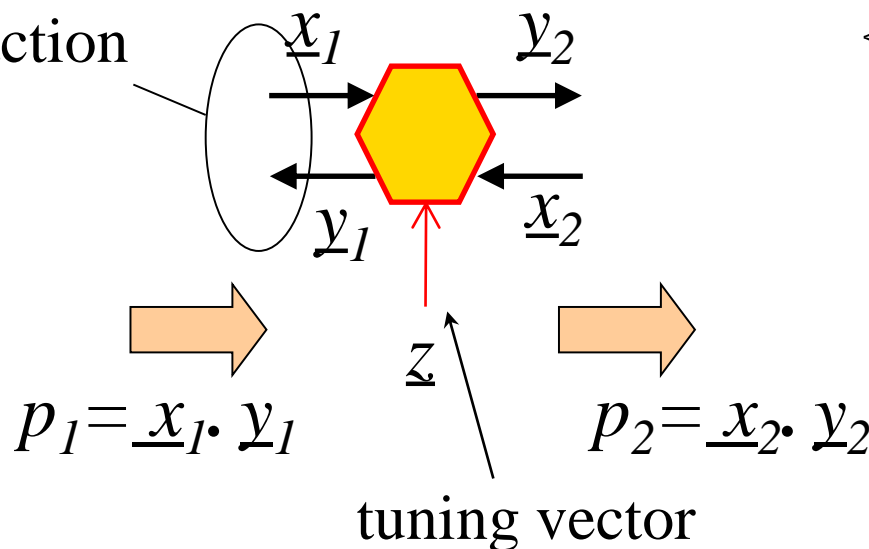
Energetic variable

$$\Omega = \frac{1}{J} \int (T_1 - T_2). dt$$

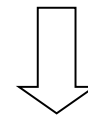


**conversion of energy
without energy
accumulation**
(with or without
losses)

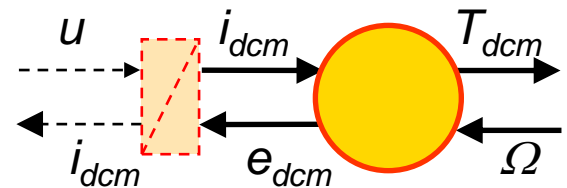
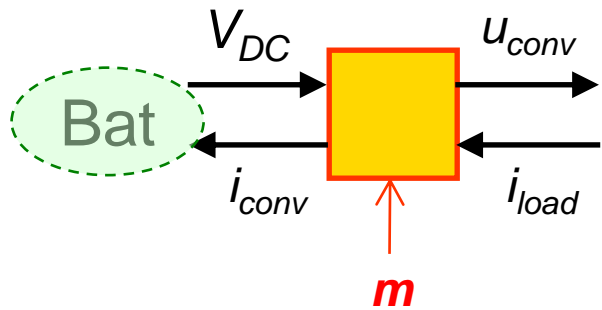
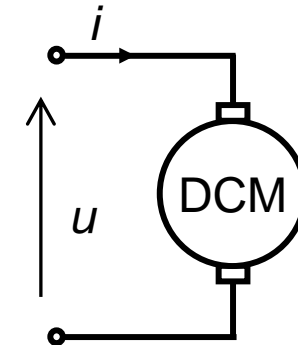
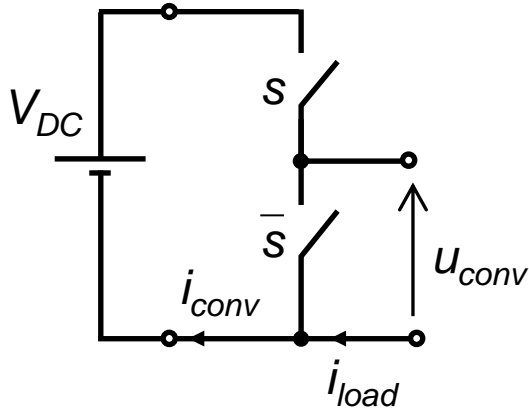
action /
reaction



$$\begin{cases} \underline{y}_2 = f(\underline{x}_1, \underline{z}) \\ \underline{y}_1 = f(\underline{x}_2, \underline{z}) \end{cases} \text{ no delay!}$$



upstream and downstream
I/O can be permuted
(floating I/O)



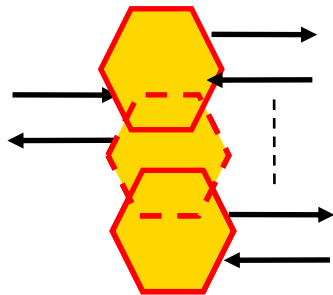
$$\begin{cases} u_{conv} = m V_{DC} \\ i_{conv} = m i_{load} \end{cases}$$

tuning input

$$L \frac{d}{dt} i_{dcm} + r i_{dcm} = u - e_{dcm}$$

$$\begin{cases} T_{dcm} = k_{\phi} i_{dcm} \\ e_{dcm} = k_{\phi} \Omega \end{cases}$$

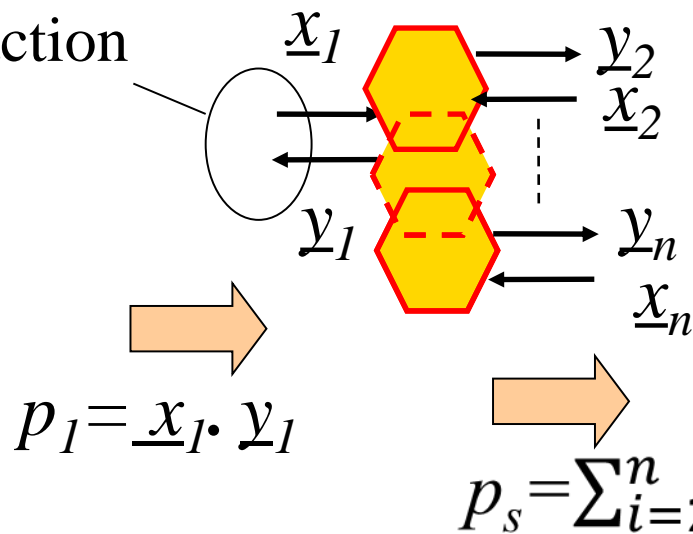
coupling element



various overlapped pictograms
background: orange
contour: red
pairs of I/O vectors
N pairs, N-1 pictograms

distribution of energy
without energy
accumulation
without tuning
(with or without losses)

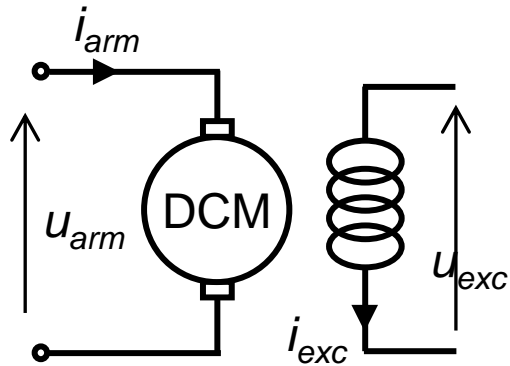
action /
reaction



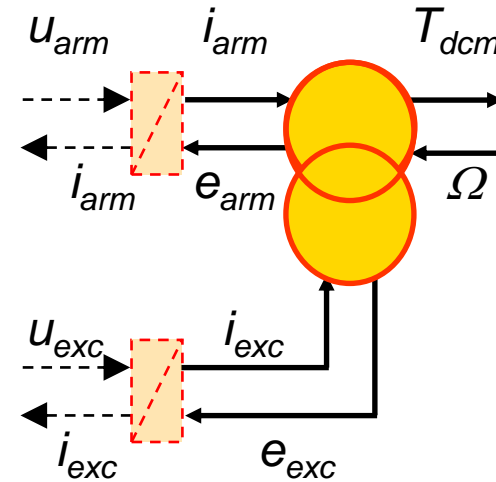
$$\begin{cases} \underline{y}_1 = f_1(\underline{x}_1, \dots, \underline{x}_n) \\ \dots \\ \underline{y}_n = f_n(\underline{x}_1, \dots, \underline{x}_n) \end{cases}$$

no delay! ←

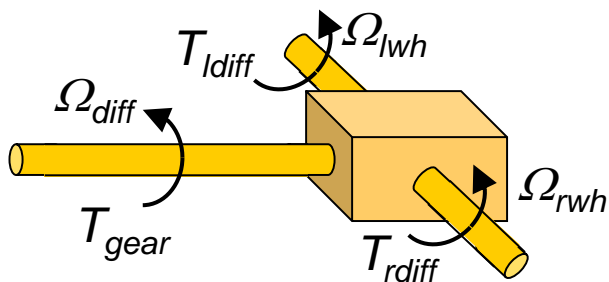
Field winding DC machine



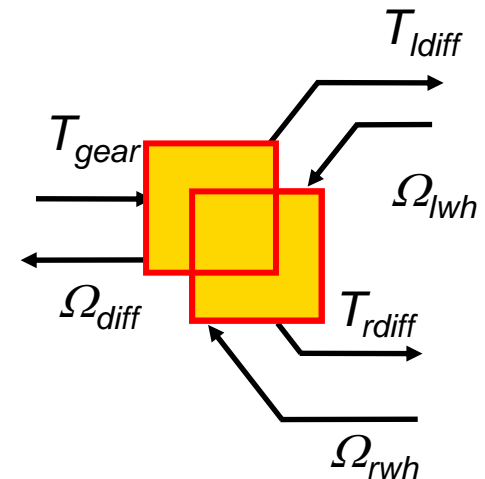
$$\begin{cases} T_{dcm} = k i_{exc} i_{arm} \\ e_{arm} = k i_{exc} \Omega \end{cases}$$



Mechanical differential



$$\begin{cases} T_{ldif} = T_{rdif} = \frac{T_{gear}}{2} \\ \Omega_{diff} = \frac{\Omega_{lwh} + \Omega_{rwh}}{2} \end{cases}$$





EMR'22

Sion

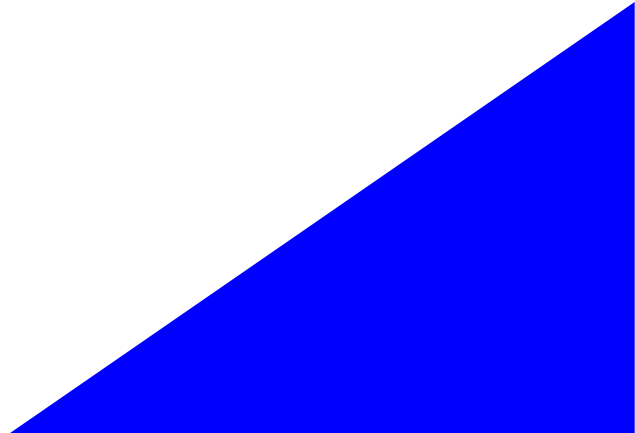
June 2022



EMR'22 Summer School
"Energetic Macroscopic Representation"



« Example of complete EMR »

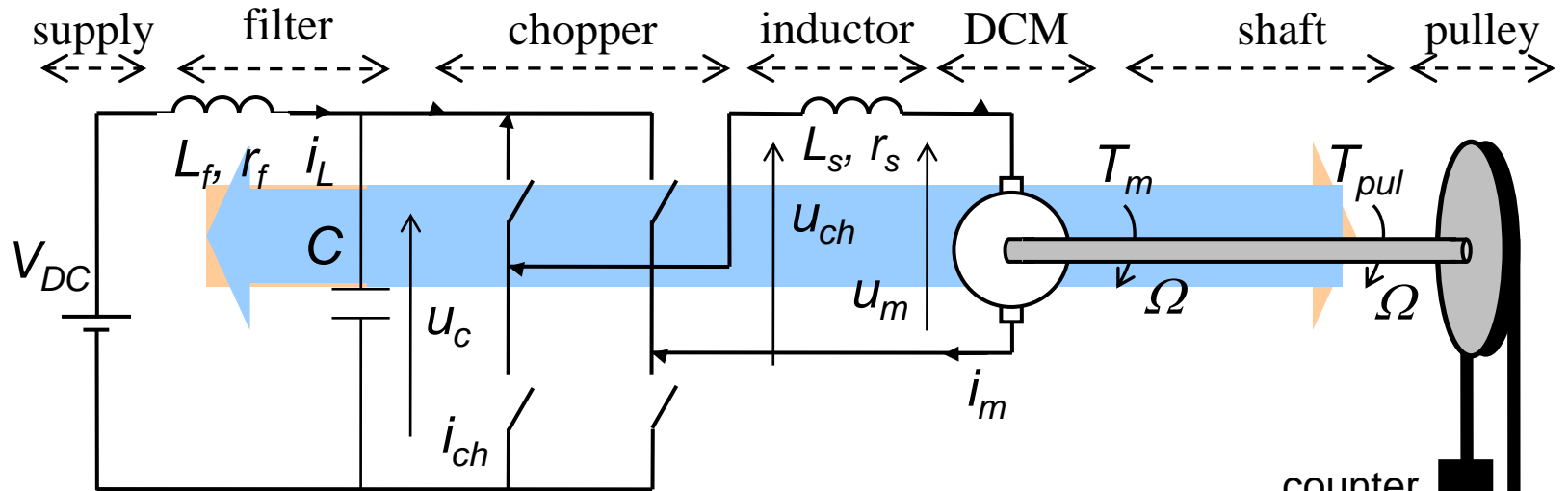


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- Lift example -

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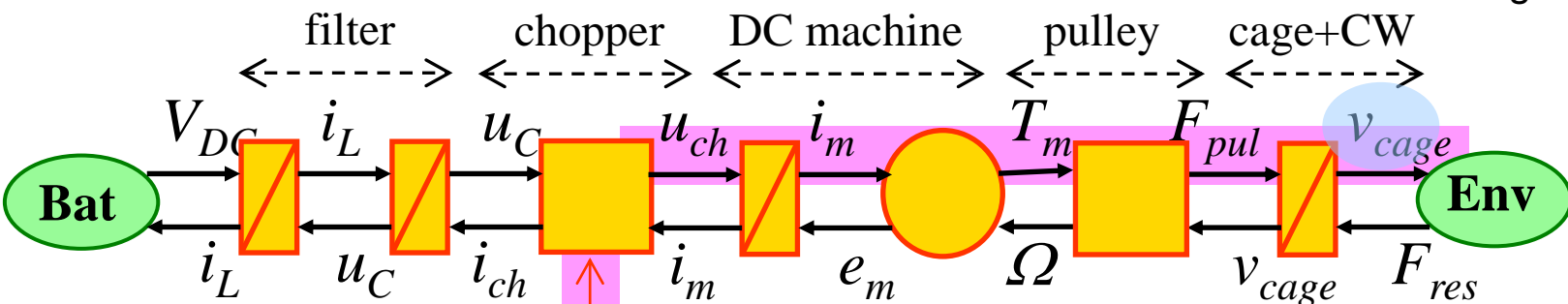
18



counter weight

v_{cage}

cage



tuning path

$P > 0$

$P < 0$

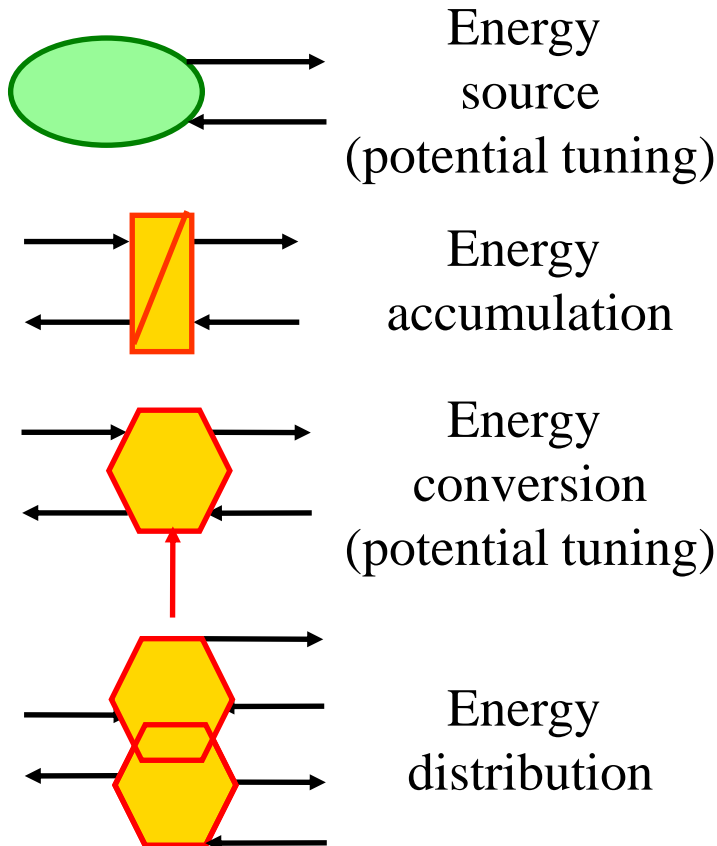
« Conclusion »

EMR = multi-physical graphical description

Systemics: elements connected by action/reaction

Causality: I/O defined by accumulation elements

Basic elements = energetic functions

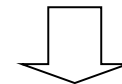


Association rules

enable keeping physical causality in conflict of association (not presented here)

Tuning paths

can be deduced from EMR



valuable for control design